CASIO

SUPER-FX

fx-180Pv

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FTZ

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Dear customer,
Thank you very much for purchasing our electronic calculator.
To fully utilize its features no special training is required, but we suggest you study this operation manual to become familiar with its many abilities. To help ensure its longevity, do not touch the inside of the calculator, avoid hard knocks and unduly strong key pressing. Extreme cold (below 32°F or 0°C), heat (above 104°F or 40°C) and humidity may also affect the functions of the calculator. Never use volatile fluid such as lacquer thinner, benzine, etc. when cleaning the unit. For servicing contact your retailer or nearby dealer.

Before starting calculation, be sure to press the [ON] key and to confirm that "0." is shown on the display.

**Special care should be taken not to damage the unit by bending or dropping. For example, do not carry it in your hip pocket.*

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1/GENERAL GUIDE

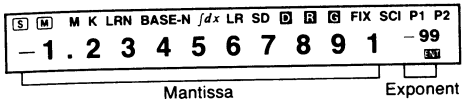
1-1 Modes

To put the calculator into a desired operating mode, or to select a specific angular unit, press [MODE] first, then [·], [EXP], [0], [1],... or [9].

- [MODE] [·] – RUN mode. Carry out manual calculation and program execution.
- [MODE] [EXP] – LRN is displayed. Program can be written.
- [MODE] [0] – BASE-N is displayed. Carry out Binary/octal/decimal/hexadecimal conversions, calculations and logical operations.
- [MODE] [1] – $\int dx$ is displayed. Integral can be carried out.
- [MODE] [2] – LR is displayed. Calculate regression analysis.
- [MODE] [3] – SD is displayed. Calculate standard deviation.
- [MODE] [4] – [D] is displayed. Use degrees as the unit of angle measurement.
- [MODE] [5] – [R] is displayed. Use radians as the unit of angle measurement.
- [MODE] [6] – [G] is displayed. Use grads as the unit of angle measurement.
- [MODE] [7] – Press any number from 0 to 9 to indicate how many decimal places you want displayed (FIX is displayed).

- [MODE] [8] – Press any number from 1 (1 digit) to 0 (10 digits) to indicate how many significant digits you want displayed (SCI is displayed).
- [MODE] [9] – Releases instructions entered in [MODE] [7] and [MODE] [8]. This operation also changes the range of the exponent display (see page 6).

1-2 The display



The display shows input data, interim results and answers to calculations. The mantissa section displays up to 10 digits. The exponent section displays up to ±99.

-E- or -[-	Error indication (see page 9).
[S]	Pressing of [SHIFT] (see page 12).
[M]	Pressing of [MODE] (see page 5).
M	Something is being stored in the memory (see page 12).
K	A constant is being used in calculations (see page 11).
LRN	Learn mode (for programming) (see page 30)
BASE-N	BASE-N mode (see page 15).
$\int dx$	Integral calculation (see page 38).
LR	Regression analysis calculation (see page 25).
SD	Standard deviation calculation (see page 23).
[D] or [R] or [G]	Angular unit (see page 19).
FIX	Decimal places of a displayed value is being designated (see page 21).
SCI	Significant digits of a displayed value is being designated (see page 21).
P1	Indicates current program area is P1 (see page 30).
P2	Indicates current program area is P2 (see page 30).
ENT	You have just entered variable data into a program or it is time for you to enter variable data (see page 30).
45⌟12⌟23.	45-12/23 (see page 13).
12°3°45.6	12°3'45.6" (see page 19)

■ Exponential Displays

The display can show calculation results only up to 10 digits long. When an intermediate value or a final result is longer, the calculator automatically switches over to exponential notation. Values greater than 9,999,999,999 are always displayed exponentially, while the lower limit is selectable. Note the following:

Type	Lower limit	Upper limit
A (Norm 1)	0.01	9,999,999,999
B (Norm 2)	0.000000001	9,999,999,999

Values less than the lower limits or greater than the upper limit shown above are displayed using exponential format.
Use the following procedure to switch between the Type A lower limit and the Type B lower limit:

① Check the display to see if the FIX or SCI symbols are shown, indicating that the number of significant digits or the number of decimal places have been specified. If either of the symbols is shown, press [MODE] [9] to cancel the specification.

② Perform the following calculation:

1 ÷ 200 =

③ Look at the display to see what the current lower limit is.

If the display reads:
$5.^{-03}$, the current setting is Type A → 5.⁻⁰³

If the display reads:
0.005, the current setting is Type B → 0.005

④ Press [MODE] [9] to switch between the Type A and Type B lower limits.

*Note that the lower limit is not changed if you press [MODE] [9] while the number of significant digits (SCI displayed) and/or the number of decimal places (FIX displayed) are specified. The first time you press [MODE] [9], you clear the FIX and SCI specifications, and so you must press [MODE] [9] again to change the lower limit.

2/ORDER OF OPERATIONS AND LEVELS

Operations are performed in the following order of precedence:

1. Functions
2. x^y, $x^{1/y}$, R→P, P→R, nPr, nCr
3. ×, ÷
4. +, −
5. AND
6. OR, XOR, XNOR

(4–6: BASE-N mode)

Operations with the same precedence are performed from left to right, with operations enclosed in parentheses performed first. If parentheses are nested, the operations enclosed in the innermost set of parentheses are performed first.

*Registers L_1 through L_6 are provided to store operations of lower precedence (including parenthetical operations). Since six registers are provided, calculations up to six levels can be retained.

*Since each level can contain up to three open parentheses, parantheses can be nested up to 18 times.

Ex.) (4 levels, 5 nested parentheses)

Operation:

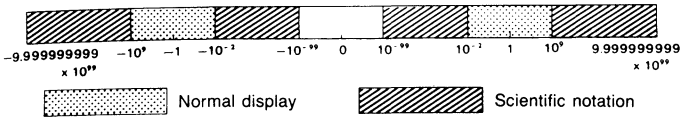
2 × (((3 + 4) × ((5 + 4)) ÷ 3)) ÷ 5)) + 9)) =

1 level 1 level 1 level 1 level A

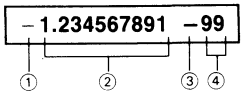
Register contents at point A.

x	4
L_1	[([(5 +
L_2	4 ×
L_3	[([([(3 +
L_4	2 ×
L_5	
L_6	

3/CALCULATION RANGE AND SCIENTIFIC NOTATION



When the answer exceeds the normal display capacity, it is automatically shown by scientific notation, 10-digit mantissa and exponents of 10 up to ±99.



① The minus (−) sign for mantissa
② The mantissa
③ The minus (−) sign for exponent
④ The exponent of ten

The whole display is read: $-1.234567891 \times 10^{-99}$

*Entry can be made in scientific notation by using the [EXP] key after entering the mantissa.

EXAMPLE	OPERATION	READ-OUT
$-1.234567891 \times 10^{3}$ (= −0.001234567891)		
	1 . 234567891 [+/−]	−1.234567891
	[EXP]	−1.234567891 00
	3 [+/−]	−1.234567891 −03

4/CORRECTIONS

If you notice an input mistake before you press the arithmetic operation key, simply press [C] to clear the value and enter it again.
In a series of calculations, you can correct errors in intermediate results by recalculating correctly when the error appears and then continuing with the original series from where you interrupted it.

If you make a mistake by pressing the wrong key when entering [+], [−], [×], [÷], [x^2] or [SHIFT] [$\sqrt{}$], simply press the appropriate key to correct. In this case, the most recently pressed key operation is used, but it retains the order of precedence of the original operation entered.

5/OVERFLOW OR ERROR CHECK

Overflow or error is indicated by the "-E-" or "-Ε -" sign and stops further calculation.

Overflow or error occurs:

a) When an answer, whether intermediate or final, or accumulated total in the memory is more than 1×10^{100} ("-E-" sign appears).
b) When function calculations are performed with a number exceeding the input range ("-E-" sign appears).
c) When the ranges for any of the number systems used in the BASE-N mode are exceeded. ("-E-" sign appears).
d) When unreasonable operations are performed in statistical calculations ("-E-" sign appears).
e) When the total number of levels of explicity and/or implicity (with addition-subtraction versus multiplication-division including x^y and $x^{1/y}$) nested parentheses exceeds 6, or more than 18 pairs of parentheses are used ("-Ε -" sign appears).
Ex.) You have pressed the [(] key 18 times continuously before designating the sequence of [2] [+] [3] [×].

To release these overflow checks:

a), b), c), d)..... Press the [AC] key.
e)..... Press the [AC] key. Or press the [C] key, and the intermediate result just before the overflow occurs is displayed and the subsequent calculation is possible.

Memory protection:

The content of the memory is protected against overflow or error and the accumulated total is recalled by pressing the [MR] key after the overflow check is released by the [AC] key.

6/POWER SOURCE

One AA size mangenese dry battery (UM-3) or R6P (SUM-3) gives approximately 17,500 hours continuous operation.
When battery power decreases, the whole display darkens. Battery should then be renewed. Be sure to switch OFF the power before changing.

Battery replacement

1. Open the back panel of the unit by loosening the screws and remove dead battery.
2. Insert a new battery with polarity as indicated.
3. Replace the back panel.

PRECAUTIONS:

Incorrectly using batteries can cause them to burst or leak, possibly damaging the interior of the unit. Note the following precautions:

- Be sure that the positive (+) and negative (−) poles of the battery are facing in the proper direction.
- Never leave a dead battery in the battery compartment.
- Remove the battery if you do not plan to use the unit for long periods.
- Replace the battery at least once every 2 years, no matter how much the unit is used during that period.
- Never try to recharge the battery supplied with the unit.
- Do not expose batteries to direct heat, let them become shorted, or try to take them apart.

Should a battery leak, clean out the battery compartment of the unit immediately, taking care to avoid letting the battery fluid come into direct contact with your skin.

Auto power-off function

This unit automatically switches OFF if not operated for approximately 6 minutes. Power can be restored by pressing the [ON] key. Memory contents and mode setting are retained even when power is switched off.

7/NORMAL CALCULATIONS

- You can perform normal calculations in the RUN mode ([MODE] [•]).
- Calculations can be performed in the same sequence as the written formula (true algebraic logic).
- Nesting of up to 18 parentheses at 6 levels is allowed.

7-1 Four basic calculations (incl. parenthesis calculations)

EXAMPLE	OPERATION	READ-OUT
$23 + 4.5 - 53 =$	23 [+] 4 [•] 5 [−] 53 [=]	−25.5
$56 \times (-12) \div (-2.5) =$	56 [×] 12 [+/−] [÷] 2 [•] 5 [+/−] [=]	268.8
$2 \div 3 \times (1 \times 10^{20}) =$	2 [÷] 3 [×] 1 [EXP] 20 [=]	6.666666667 19

$7\times8-4\times5(=56-20)=$ | 7 × 8 − 4 × 5 = | 36.

$1+2-3\times4\div5+6=$ | 1 + 2 − 3 × 4 ÷ 5 + 6 = | 6.6

$\frac{6}{4\times5}=$ | 4 × 5 ÷ 6 SHIFT x⇔y = | 0.3

*The number of levels of the ⊢ key can be displayed.

$2\times\{7+6\times(5+4)\}=$

2 × ⊢	[01	0.
7 + 6 × ⊢	[02	0.
5 + 4 → → =		122.

*It is unnecessary to press the → key before the = key.

$10-\{7\times(3+6)\}=$ | 10 − ⊢ 7 × ⊢ 3 + 6 = | −53.

Another operation: 10 − ⊢ 7 × ⊢ 3 + 6 → → =

7-2 Constant calculations

*The "K" sign appears when a number is set as a constant.

$3+2.3=$ | 2 . 3 + 3 = | K 5.3

$6+2.3=$ | 6 = | K 8.3

$2.3\times12=$ | 12 × 2 . 3 = | K 27.6

$(-9)\times12=$ | 9 +/− = | K −108.

$17+17+17+17=$ | 17 + + = | K 34.

= | K 51.

= | K 68.

$1.7^2=$ | 1 . 7 × × = | K 2.89

$1.7^3=$ = | K 4.913

$1.7^4=$ = | K 8.3521

$3\times6\times4=$ | 3 × 6 × × | K 18.

$3\times6\times(-5)=$ | 4 = | K 72.

5 +/− = | K −90.

$\frac{56}{4\times(2+3)}=$ | 4 × ⊢ 2 + 3 → ÷ ÷ | K 20.

56 = | K 2.8

$\frac{23}{4\times(2+3)}=$ | 23 = | K 1.15

7-3 Memory calculations using the independent memory

*When a new number is entered into the independent memory by the SHIFT M− key, the previous number stored is automatically cleared and the new number is put in the independent memory.
*The "M" sign appears when a number is stored in the independent memory.
*The contents accumulated into the independent memory are preserved even after the power switch is turned off.
To clear the contents press 0 SHIFT M− or AC SHIFT M− in sequence.

$53+6=59$
$23-8=15$
$56\times2=112$
$+)\ 99\div4=24.75$
210.75

53 + 6 = SHIFT M−	M	59.
23 − 8 M+	M	15.
56 × 2 M+	M	112.
99 ÷ 4 M+	M	24.75
MR	M	210.75

$7+7-7+(2\times3)+(2\times3)-(2\times3)=$

7 SHIFT M− M+ SHIFT M− 2 × 3 M+ M+ M+ SHIFT M− MR | M 19.

$12\times3=36$
$-)\ 45\times3=135$
$78\times3=234$
135

3 × × 12 = SHIFT M−	M K	36.
45 SHIFT M−	M K	135.
78 M+	M K	234.
MR	M K	135.

7-4 Memory calculations using 6 constant memories

*When a new number is entered into a constant memory by operating ENTRY Kin (1 to 6), the previous number stored is automatically cleared and the new number is put in the constant memory.
*The contents stored in the constant memories are preserved even after the power switch is turned off.
To clear the contents press 0 Kin 1 (to 6) or AC Kin 1 (to 6) in sequence.

$\frac{193.2}{23}=$ | 193 . 2 Kin 1 ÷ 23 = | 8.4

$\frac{193.2}{28}=$ | Kout 1 ÷ 28 = | 6.9

$\frac{193.2}{42}=$ | Kout 1 ÷ 42 = | 4.6

*Another operations by using the independent memory:
193 . 2 SHIFT M− ÷ 23 =, MR ÷ 28 =, MR ÷ 42 =

$\frac{9\times6+3}{(7-2)\times8}=$

9 × 6 + 3 = Kin 1	57.
⊢ 7 − 2 → × 8 = Kin 2	40.
Kout 1 ÷ Kout 2 =	1.425

*Calculations in constant memory registers can also be performed by using the [+], [−], [×] and [÷] keys.

$7\times8\times9=504$
$4\times5\times6=120$
$3\times6\times9=162$
(Total) 14 19 24 786

7 Kin 1 × 8 Kin 2 × 9 Kin 3 − SHIFT Min | M 504.
4 Kin + 1 × 5 Kin + 2 × 6 Kin + 3 M+ | M 120.
3 Kin + 1 × 6 Kin + 2 × 9 Kin + 3 M+ | M 162.
Kout 1 | M 14.
Kout 2 | M 19.
Kout 3 | M 24.
MR | M 786.

$12\times(2.3+3.4)-5=$

$30\times(2.3+3.4+4.5)-15\times4.5=$

12 × ▶ 2 . 3 + 3 . 4 → Kin 1 − 5 = | 63.4
30 × 4 . 5 Kin + 1 SHIFT x↔K 1 − 15 × Kout 1 = | 238.5

↓
To exchange the displayed number (4.5) with the contents of constant memory 1.

7-5 Fraction calculations

*The display capacity as a fraction, whether entry or result, is limited to a max. 3 digits for each integer, numerator or denominator part and at the same time to a max. 8 digits in the sum of each part. When an answer exceeds the above capacity, it is automatically converted to the decimal scale.
*A fraction can be transferred to the memory.
*When a fraction is extracted, the answer is displayed as a decimal.
*A press of a b/c key after the = key converts the fraction answer to the decimal scale.

$4\frac{5}{6}\times(3\frac{1}{4}+1\frac{2}{3})\div7\frac{8}{9}=$

4 a b/c 5 a b/c 6 × (3 a b/c 1 a b/c 4 + 1 a b/c 2 a b/c 3) ÷ 7 a b/c 8 a b/c 9 = | 3⌟7⌟568.
a b/c | 3.012323944
a b/c | 3⌟7⌟568.

$2\frac{4}{5}+\frac{3}{4}-1\frac{1}{2}=$

2 a b/c 4 a b/c 5 + 3 a b/c 4 − | 3⌟11⌟20.
a b/c | 3.55
1 a b/c 2 = | 2⌟1⌟20.

$(1.5\times10^{7})-\{(2.5\times10^{6})\times\frac{3}{100}\}=$

1 . 5 EXP 7 − 2 . 5 EXP 6 × 3 a b/c 100 = | 14925000.

*During a fraction calculation, a figure is reduced to the lowest terms by pressing a function command key ([+], [−], [×] or [÷]) or the [=] key if the figure is reducible.

$3\frac{456}{78}=8\frac{11}{13}$ (Reduction)

3 a b/c 456 a b/c 78 | 3⌟456⌟78.
= | 8⌟11⌟13.

*By pressing SHIFT d/c continuously, the displayed value will be converted to the improper fraction.

Continuing from above SHIFT d/c | 115⌟13.

$\frac{12}{45}-\frac{32}{56}=$

12 a b/c 45 − | 4⌟15.
32 a b/c 56 = | −32⌟105.

*The answer in a calculation performed between a fraction and a decimal is displayed as a decimal.

$\frac{41}{52}\times78.9=$

41 a b/c 52 × | 41⌟52.
78 . 9 = | 62.20961538

7-6 Percentage calculations

12% of 1500 — 1500 × 12 SHIFT % | 180.

Percentage of 660 against 880 — 660 ÷ 880 SHIFT % | 75.

15% add-on of 2500 — 2500 × 15 SHIFT % + | 2875.

25% discount of 3500 — 3500 × 25 SHIFT % − | 2625.

300cc is added to a solution of 500cc. What is the percent of the new volume to the initial one?

300 + 500 SHIFT % | 160.
(%)

If you made $80 last week and $100 this week, what is the percent increase?

100 − 80 [SHIFT] [%] → 25. (%)

12% of 1200: 1200 × 12 [SHIFT] [%] → K 144.
18% of 1200: 18 [SHIFT] [%] → K 216.
23% of 1200: 23 [SHIFT] [%] → K 276.

26% of 2200: 26 × 2200 [SHIFT] [%] → K 572.
26% of 3300: 3300 [SHIFT] [%] → K 858.
26% of 3800: 3800 [SHIFT] [%] → K 988.

Percentage of 30 against 192: 192 ÷ 30 [SHIFT] [%] → K 15.625
Percentage of 156 against 192: 156 [SHIFT] [%] → K 81.25

*600 grams was added to 1200 grams. What percent is the total to the initial weight?
*510 grams was added to 1200 grams. What percent is the total to the initial weight?

1200 + 600 [SHIFT] [%] → K 150.
510 [SHIFT] [%] → K 142.5

*How many percent down is 138 grams to 150 grams?
*How many percent down is 129 grams to 150 grams?

150 − 138 [SHIFT] [%] → K −8.
129 [SHIFT] [%] → K −14.

8/BINARY/OCTAL/DECIMAL/HEXADECIMAL CALCULATIONS

•Binary/octal/decimal/hexadecimal calculations and conversions are performed in the BASE-N mode ([MODE] [0]).
•Base values are set by pressing one of the following keys:

KEY	BASE
[DEC]	Decimal
[HEX]	Hexadecimal
[SHIFT] [BIN]	Binary
[SHIFT] [OCT]	Octal

•Calculation range

BASE	DIGITS	RANGE
Binary	10 digits	Positive : $0 \leqq x \leqq 111111111$ Negative: $1000000000 \leqq x \leqq 1111111111$
Octal	10 digits	Positive : $0 \leqq x \leqq 3777777777$ Negative: $4000000000 \leqq x \leqq 7777777777$
Decimal	10 digits	Positive : $0 \leqq x \leqq 2147483647$ Negative: $-2147483648 \leqq x < 0$
Hexadecimal	8 digits	Positive : $0 \leqq x \leqq 7FFFFFFF$ Negative: $80000000 \leqq x \leqq FFFFFFFF$

•Valid values

BASE	VALUES
Binary:	0, 1
Octal:	0, 1, 2, 3, 4, 5, 6, 7
Decimal:	0, 1, 2, 3, 4, 5, 6, 7, 8, 9
Hexadecimal:	0, 1, 2, 3, 4, 5, 6, 7, 8, 9, A, B, C, D, E, F

•Values other than noted above cannot be entered while each respective base is in effect. The letters B and D are displayed in lower case for hexadecimal.
•You cannot specify the unit of angular measurement (degrees, radians, grads) or the display format (FIX, SCI) while the calculator is in the BASE-N mode. Such specifications can only be made if you first exit the BASE-N mode.

8-1 Binary/octal/decimal/hexadecimal conversions

[MODE] [0] (BASE-N mode)

Conversion of 22_{10} to binary: [DEC] 22 [SHIFT] [BIN] → 10110. b
Conversion of 22_{10} to octal: [SHIFT] [OCT] → 26. o
Conversion of 22_{10} to hexadecimal: [HEX] → 16. H
Conversion of 513_{10} to binary: [DEC] 513 [SHIFT] [BIN] → −E− b

*Conversion may sometimes be impossible if calculation range of original value is greater than range of result value.

Conversion of $7FFFFFFF_{16}$ to decimal: [HEX] 7FFFFFFF [DEC] → 2147483647. d
Conversion of 4000000000_8 to decimal: [SHIFT] [OCT] 4000000000 [DEC] → −536870912. d
Conversion of 123456_{10} to octal: [DEC] 123456 [SHIFT] [OCT] → 361100. o
Conversion of 1100110_2 to decimal: [SHIFT] [BIN] 1100110 [DEC] → 102. d

8-2 Negative expressions

•Negative values can be obtained by pressing the [NEG] key. The two's complement is produced for negation of binary, octal, decimal and hexadecimal values.

[MODE] [0] (BASE-N mode)

Negation of 1010_2 — [SHIFT] [BIN] 1010 [NEG] → 1111110110. b

Conversion to decimal — [DEC] → −10. d

Negation of 1_2 — [SHIFT] [BIN] 1 [NEG] → 1111111111. b

Negation of 2_8 — [SHIFT] [OCT] 2 [NEG] → 7777777776. o

Negation of 34_{16} — [HEX] 34 [NEG] → FFFFFFCC. H

8-3 Binary/octal/decimal/hexadecimal calculations

•Memory and parenthesis calculations can be used with binary, octal, decimal and hexadecimal number systems.

[MODE] [0] (BASE-N mode)

$10111_2 + 11010_2 = 110001_2$ — [SHIFT] [BIN] 10111 [+] 11010 [=] → 110001. b

$123_8 \times ABC_{16} = 37AF4_{16}$ — [SHIFT] [OCT] 123 [×] [HEX] ABC [=] → 37AF4. H
$= 228084_{10}$ — [DEC] → 228084. d

$1F2D_{16} - 100_{10} = 7881_{10}$ — [HEX] 1F2D [−] [DEC] 100 [=] → 7881. d
$= 1EC9_{16}$ — [HEX] → 1EC9. H

$7654_8 \div 12_{10} = 334.3\cdots_{10}$ — [SHIFT] [OCT] 7654 [÷] [DEC] 12 [=] → 334. d
$= 516_8$ — [SHIFT] [OCT] → 516. o

*Fractional parts of calculation results are truncated.

$110_2 + 456_8 \times 78_{10} \div 1A_{16} = 390_{16}$
$= 912_{10}$
[SHIFT] [BIN] 110 [+] [SHIFT] [OCT] 456 [×] [DEC] 78 [÷] [HEX] 1A [=] → 390. H
[DEC] → 912. d

*Multiplication and division are given priority over addition and subtraction in mixed calculations.

$BC_{16} \times (14_{10} + 69_{10}) = 15604_{10}$
$= 3CF4_{16}$
[HEX] BC [×] [(] [DEC] 14 [+] 69 [)] [=] → 15604. d
[HEX] → 3CF4. H

$23_8 + 963_{10} = 982_{10}$ — [SHIFT] [OCT] 23 [SHIFT] [M−] [+] [DEC] 963 [=] → M 982. d
$23_8 + 101011_2 = 111110_2$ — [MR] [+] [SHIFT] [BIN] 101011 [=] → M 111110. b
$2A56_{16} \times 23_8 = 32462_{16}$ — [HEX] 2A56 [×] [MR] [=] → M 32462. H

8-4 Logical operations

•The [AND], [OR], [XOR], [XNOR] and [NOT] keys can be used to perform the respective binary, octal, decimal and hexadecimal logical operations.

[MODE] [0] (BASE-N mode)

19_{16} AND $1A_{16} = 18_{16}$ — [HEX] 19 [AND] 1A [=] → 18. H

1110_2 AND $36_8 = 1110_2$ — [SHIFT] [BIN] 1110 [AND] [SHIFT] [OCT] 36 [=] → 16. o
[SHIFT] [BIN] → 1110. b

23_8 OR $61_8 = 63_8$ — [SHIFT] [OCT] 23 [OR] 61 [=] → 63. o

120_{16} OR $1101_2 = 12D_{16}$ — [HEX] 120 [OR] [SHIFT] [BIN] 1101 [=] → 100101101. b
[HEX] → 12d. H

5_{16} XOR $3_{16} = 6_{16}$ — [HEX] 5 [XOR] 3 [=] → 6. H

$2A_{16}$ XNOR $5D_{16} = FFFFFF88_{16}$ — [HEX] 2A [XNOR] 5D [=] → FFFFFF88. H

1010_2 AND $(A_{16}$ OR $7_{16}) = 1010_2$
[SHIFT] [BIN] 1010 [AND] [(] [HEX] A [OR] 7 [)] [=] → A. H
[SHIFT] [BIN] → 1010. b

$1A_{16}$ AND $2F_{16} = A_{16}$ — [HEX] 2F [AND] [AND] 1A [=] → K A. H
$3B_{16}$ AND $2F_{16} = 2B_{16}$ — 3B [=] → K 2b. H

NOT of 10110_2 — [SHIFT] [BIN] 10110 [NOT] → 1111101001. b

NOT of 1234_8 — [SHIFT] [OCT] 1234 [NOT] → 7777776543. o

NOT of $2FFFED_{16}$ — [HEX] 2FFFED [NOT] → FFd00012. H

9/FUNCTION CALCULATIONS

Scientific function keys can be utilized as subroutines of four basic calculations (including parenthesis calculations).

*This calculator computes as $\pi = 3.141592654$ and $e = 2.718281828$.
*In some scientific functions, the display disappears momentarily while complicated formulas are being processed. So do not enter numerals or press the function key until the previous answer is displayed.
*You cannot specify the unit of angular measurement (degrees, radians, grads) or the display format (FIX, SCI) while the calculator is in the BASE-N mode. Such specifications can only be made if you first exit the BASE-N mode.
*For each input range of the scientific functions, see page 39.

9-1 Sexagesimal ↔ Decimal conversion

The [°'"] key converts the sexagesimal figure (degree, minute and second) to decimal notation. Operation of [SHIFT] [°'"] converts the decimal notation to the sexagesimal notation.

14°25'36" =

14 [°'"]	14.
25 [°'"]	14.41666667
36 [°'"]	14.42666667
[SHIFT] [°'"]	14°25°36.

9-2 Trigonometric/Inverse trigonometric functions

$\sin(\frac{\pi}{6}\text{rad}) =$
"R" ([MODE] [5]) [π] [÷] 6 [=] [sin] → 0.5

cos 63°52'41" =
"D" ([MODE] [4]) 63 [°'"] 52 [°'"] 41 [°'"] → 63.87805555
[cos] → 0.440283084

tan(−35 gra) =
"G" ([MODE] [6]) 35 [+/−] [tan] → −0.612800788

2 · sin 45° × cos 65° =
"D" 2 [×] 45 [sin] [×] 65 [cos] [=] → 0.597672477

$\cot 30° = \frac{1}{\tan 30°} =$
"D" 30 [tan] [1/x] → 1.732050808

$\sec(\frac{\pi}{3}\text{rad}) = \frac{1}{\cos(\frac{\pi}{3}\text{rad})} =$
"R" [π] [÷] 3 [=] [cos] [1/x] → 2.

$\text{cosec}\,30° = \frac{1}{\sin 30°} =$
"D" 30 [sin] [1/x] → 2.

$\cos^{-1}\frac{\sqrt{2}}{2} =$
"R" 2 [√] [÷] 2 [=] [SHIFT] [cos] → 0.785398163

$\tan^{-1}0.6104 =$
"D" [·] 6104 [SHIFT] [tan] → 31.39989118
[SHIFT] [°'"] → 31°23°59.61

9-3 Common & Natural logarithms/Exponentiations (Common antilogarithms, Natural antilogarithms, Powers and Roots)

$\log 1.23 (= \log_{10} 1.23) =$
1 [·] 23 [log] → 0.089905111

Solve $4^x = 64$.
$x \cdot \log 4 = \log 64$
$x = \frac{\log 64}{\log 4}$
64 [log] [÷] 4 [log] [=] → 3.

$\ln 90 (= \log_e 90) =$
90 [ln] → 4.49980967

$\log 456 \div \ln 456 =$
456 [SHIFT] [Min] [log] [÷] [MR] [ln] [=] → M 0.434294481

$10^{0.4} + 5 \cdot e^{-3} =$
[·] 4 [SHIFT] [10^x] [+] 5 [×] 3 [+/−] [SHIFT] [e^x] [=] → 2.760821773

$5.6^{2.3} =$
5 [·] 6 [x^2] 2 [·] 3 [=] → 52.58143837

$123^{1/7} (= \sqrt[7]{123}) =$
123 [SHIFT] [x^y] 7 [=] → 1.988647795

$(78 - 23)^{-12} =$
[(−)] 78 [−] 23 [)] [x^2] 12 [+/−] [=] → 1.305111829 − 21

$3^{12} + e^{10} =$
3 [x^2] 12 [+] 10 [SHIFT] [e^x] [=] → 553467.4658

log sin 40° + log cos 35° =
"D" 40 [sin] [log] [+] 35 [cos] [log] [=] → −0.278567983
[SHIFT] [10^x] → 0.526540784

(The antilogarithm..... 0.526540784)

$15^{1/5} + 25^{1/6} + 35^{1/7} =$
15 [SHIFT] [x^y] 5 [+] 25 [SHIFT] [x^y] 6 [+] 35 [SHIFT] [x^y] 7 [=] → 5.090557037

9-4 Square roots, Cube roots, Squares, Reciprocals & Factorials

$\sqrt{2}+\sqrt{3}\times\sqrt{5}=$ 2 √ + 3 √ × 5 √ = → 5.287196909

$\sqrt[3]{5}+\sqrt[3]{-27}=$ 5 SHIFT ∛ + 27 +/- SHIFT ∛ = → −1.290024053

$123+30^2=$ 123 + 30 SHIFT x^2 = → 1023.

$\dfrac{1}{\frac{1}{3}-\frac{1}{4}}=$ 3 $a\frac{b}{c}$ − 4 $a\frac{b}{c}$ = $a\frac{b}{c}$ → 12.

$8!(=1\times2\times3\times.....\times7\times8)=$ 8 SHIFT $x!$ → 40320.

9-5 Miscellaneous functions (FIX, SCI, NORM, RND, RAN#, ENG)

$1.234+1.234=$ "FIX2" (MODE 7 2) 1 . 234 + → FIX 1.23

1 . 234 = → FIX 2.47

MODE 9 → 2.468

"FIX2" 1 . 234 SHIFT RND + → FIX 1.23

1 . 234 SHIFT RND = → FIX 2.46

MODE 9 → 2.46

$1\div3+1\div3=$ "SCI2" (MODE 8 2) 1 ÷ 3 + → SCI 3.3 − 01

1 ÷ 3 = → SCI 6.7 − 01

MODE 9 → 0.666666666

"SCI2" ← 1 ÷ 3 → SHIFT RND + → SCI 3.3 − 01

← 1 ÷ 3 → SHIFT RND = → SCI 6.6 − 01

MODE 9 → 0.66

$1\div1000=0.001$
$=1\times10^{-3}$

(Norm 1) 1 ÷ 1000 = → 1. − 03

(Norm 2) MODE 9 → 0.001

$123\text{m}\times456=56088\text{m}$
$=56.088\text{km}$

123 × 456 = → 56088.

ENG → 56.088 03

$7.8\text{g}\div96=0.08125\text{g}$
$=81.25\text{mg}$

7 . 8 ÷ 96 = → 0.08125

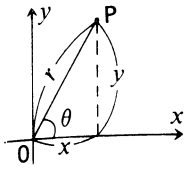
ENG → 81.25 − 03

Generate a random number between 0.000 and 0.999. SHIFT RAN# → 0.570 (Example)

9-6 Polar to rectangular co-ordinates conversion

Formula: $x=r\cdot\cos\theta \quad y=r\cdot\sin\theta$

Ex.) Find the value of x and y when the point P is shown as $\theta=60°$ and length $r=2$ in the polar co-ordinates.



"D" 2 SHIFT P→R 60 = → 1. (x)

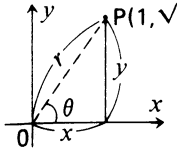
SHIFT X↔Y → 1.732050808 (y)

9-7 Rectangular to polar co-ordinates conversion

Formula: $r=\sqrt{x^2+y^2}$

$\theta=\tan^{-1}\dfrac{y}{x}\ (-180°<\theta\leqq180°)$

Ex.) Find the length r and angle θ in radian when the point P is shown as $x=1$ and $y=\sqrt{3}$ in the rectangular coordinates.



"R" 1 SHIFT R→P 3 √ = → 2. (r)

SHIFT X↔Y → 1.047197551 (θ in radian)

9-8 Permutations

Input range: $n \geqq r$ (n, r: natural numbers)

Formula: $nPr = \dfrac{n!}{(n-r)!}$

Ex.) How many numbers of 4 figures can be obtained when permuting 4 different numbers among 7 (1 to 7)?

7 [SHIFT] [nPr] 4 [=] **840.**

9-9 Combinations

Input range: $n \geqq r$ (n, r: natural numbers)

Formula: $nCr = \dfrac{n!}{r!(n-r)!}$

Ex.) How many groups of 4 members can be obtained when there are ten in class.

10 [SHIFT] [nCr] 4 [=] **210.**

10/STATISTICAL CALCULATIONS

*Be sure to press [SHIFT] [KAC] in sequence prior to starting a statistical calculation.

10-1 Standard deviation

*Set the function mode to "SD" by pressing [MODE] [3].

Ex.) Find $\sigma n-1$, σn, $\bar{x}$, n, Σx and Σx^2 based on the data 55, 54, 51, 55, 53, 53, 54, 52.

"SD" [SHIFT] [KAC] 55 [DATA] 54 [DATA] 51 [DATA] 55 [DATA] 53 [DATA] [DATA] 54 [DATA] 52 [DATA] **52.**

(Sample standard deviation) [SHIFT] [xσn-1] **1.407885953**

(Population standard deviation) [SHIFT] [xσn] **1.316956719**

(Arithmetical mean) [SHIFT] [$\bar{x}$] **53.375**

(Number of data) [Kout] [n] **8.**

(Sum of value) [Kout] [Σx] **427.**

(Sum of square value) [Kout] [Σx²] **22805.**

Calculate the unbiased variance and the deviation between each data item and the average.

(Subsequently) [SHIFT] [xσn-1] [SHIFT] [x²] **1.982142857**
(Unbiased variance)

[SHIFT] [$\bar{x}$] [−] [−] 55 [=] **1.625**
$(55 - \bar{x})$

54 [=] **0.625**
$(54 - \bar{x})$

51 [=] **−2.375**
$(51 - \bar{x})$

⋮ ⋮

Note: The sample standard deviation $\sigma n-1$ is defined as

$$\sqrt{\frac{\Sigma x^2 - \frac{(\Sigma x)^2}{n}}{n-1}}$$

the population standard deviation σn is defined as

$$\sqrt{\frac{\Sigma x^2 - \frac{(\Sigma x)^2}{n}}{n}}$$

and the arithmetical mean $\bar{x}$ is defined as

$$\frac{\Sigma x}{n}$$

*Pressing [xσn-1], [xσn], [$\bar{x}$], [n], [Σx] or [Σx²] key need not be done sequentially.

Ex.) Find n, $\bar{x}$ & $\sigma n-1$ based on the data: 1.2, −0.9, −1.5, 2.7, −0.6, 0.5, 0.5, 0.5, 0.5, 1.3, 1.3, 1.3, 0.8, 0.8, 0.8, 0.8, 0.8.

"SD" [SHIFT] [KAC] 1 [.] 2 [DATA] [.] 9 [+/−] [DATA] **−0.9**

① (Mistake) 2 [.] 5 [+/−] **−2.5**

①' (To correct) [C] **0.**
1 [.] 5 [+/−] [DATA] **−1.5**
2 [.] 7 [DATA] **2.7**

② (Mistake) [DATA] **2.7**

③ (Mistake) 1 [.] 6 [+/−] [DATA] **−1.6**

③' (To correct) [SHIFT] [DEL] **−1.6**
[.] 6 [+/−] [DATA] **−0.6**

②'(To correct)	2 [·] 7 [SHIFT] [DEL]	2.7
	[·] 5 [×]	0.5
	4 [DATA]	0.5
④ (Mistake)	1 [·] 4 [×]	1.4
④'(To correct)	[AC]	0.
	1 [·] 3 [×] 3 [DATA]	1.3
	[·] 8 [×]	0.8
⑤ (Mistake)	6 [DATA]	0.8
⑤'(To correct)	[·] 8 [×] 6 [SHIFT] [DEL]	0.8
	[·] 8 [×] 5 [DATA]	0.8
	[Kout] [P1]	17.
	[SHIFT] [$\hat{x}$]	0.635294117
	[SHIFT] [$\hat{y}$]	0.95390066

10-2 Regression analysis

*Set the function mode to "LR" by pressing [MODE] [2].

■ Linear regression

Formula: $y = A + Bx$

$$A = \frac{\Sigma y - B \cdot \Sigma x}{n} \qquad B = \frac{n \cdot \Sigma xy - \Sigma x \cdot \Sigma y}{n \cdot \Sigma x^2 - (\Sigma x)^2}$$

$$r = \frac{n \cdot \Sigma xy - \Sigma x \cdot \Sigma y}{\sqrt{\{n \cdot \Sigma x^2 - (\Sigma x)^2\}\{n \cdot \Sigma y^2 - (\Sigma y)^2\}}}$$

Ex.) Results from measuring the length and temperature of a steel bar.

temp.	length
10°C	1003mm
15	1005
20	1010
25	1008
30	1014

Find the constant term (A), regression coefficient (B), correlation coefficient (r) and estimated values ($\hat{x}$, $\hat{y}$) using the above figures as a basis.

"LR"	[SHIFT] [KAC] 10 [Σ,$\hat{y}$]	10.
	1003 [DATA]	1003.
	15 [Σ,$\hat{y}$] 1005 [DATA]	1005.
	20 [Σ,$\hat{y}$] 1010 [DATA]	1010.
	25 [Σ,$\hat{y}$] 1008 [DATA]	1008.
	30 [Σ,$\hat{y}$] 1014 [DATA]	1014.
	[SHIFT] [A]	998.
		(A)
	[SHIFT] [B]	0.5
		(B)
	[SHIFT] [r]	0.919018277
		(r)
(When the temp. is 18°C)	18 [$\hat{y}$]	1007.
		(mm)
(When the length is 1000mm)	1000 [SHIFT] [$\hat{x}$]	4.
		(°C)

Note: Σx^2, Σx, n, Σy^2, Σy, Σxy, $\bar{x}$, $x\sigma n$, $x\sigma n-1$, $\bar{y}$, $y\sigma n$, $y\sigma n-1$, A, B and r are respectively obtained by pressing a numeral key ([1] to [9]) after the [Kout] or [SHIFT] key.

•Correction of data entry

Ex.)

xi	2	3	2	3	2	4
yi	3	4	4	5	5	5

"LR"	[SHIFT] [KAC] 2 [Σ,$\hat{y}$] 3 [DATA]	3.
① (Mistake)	4	4.
①'(To correct)	[C]	0.
	3 [Σ,$\hat{y}$]	3.
	4 [DATA]	4.
② (Mistake)	3 [Σ,$\hat{y}$]	3.
②'(To correct)	2 [Σ,$\hat{y}$]	2.
	4 [DATA]	4.

③ (Mistake)	1 $x_{\bar{n}}y_n$	1.
	5 DATA	5.
③'(To correct)	SHIFT DEL	5.
	3 $x_{\bar{n}}y_n$ 5 DATA	5.
	2 $x_{\bar{n}}y_n$	2.
④ (Mistake)	4 DATA	4.
	4 $x_{\bar{n}}y_n$	4.
⑤ (Mistake)	6 DATA	6.
⑤'(To correct)	SHIFT DEL	6.
	4 $x_{\bar{n}}y_n$ 5 DATA	5.
④'(To correct)	2 $x_{\bar{n}}y_n$ 4 SHIFT DEL	4.
	2 $x_{\bar{n}}y_n$ 5 DATA	5.

These ways of correction can also be applied to logarithmic, exponential or power regression.

■ Logarithmic regression

Formula: $y = A + B \cdot \ln x$

*Input data items are the logarithm of x ($\ln x$), and y which is the same as in linear regression.
*Operation for calculating and correcting regression coefficients are basically the same as in linear regression. Operate the sequence x ln $\hat{y}$ to obtain estimator $\hat{y}$ and y SHIFT $\hat{y}$ SHIFT e^x for estimator $\hat{x}$. Note that $\Sigma \ln x$, $\Sigma(\ln x)^2$, and $\Sigma \ln x \cdot y$ are obtained instead of Σx, Σx^2, and Σxy respectively.

Ex.)

xi	29	50	74	103	118
yi	1.6	23.5	38.0	46.4	48.9

Find A, B, r, $\hat{x}$ and $\hat{y}$ using the above figures as a basis.

"LR"

SHIFT KAC 29 ln $x_{\bar{n}}y_n$	3.36729583
1 • 6 DATA	1.6
50 ln $x_{\bar{n}}y_n$ 23 • 5 DATA	23.5
74 ln $x_{\bar{n}}y_n$ 38 DATA	38.
103 ln $x_{\bar{n}}y_n$ 46 • 4 DATA	46.4
118 ln $x_{\bar{n}}y_n$ 48 • 9 DATA	48.9
SHIFT A	−111.1283963

(A)

SHIFT B	34.02014719

(B)

SHIFT r	0.994013942

(r)

(When xi is 80) 80 ln $\hat{y}$ → 37.9487947 ($\hat{y}$)

(When yi is 73) 73 SHIFT $\hat{y}$ SHIFT e^x → 224.1541338 ($\hat{x}$)

■ Exponential regression

Formula: $y = A \cdot e^{Bx}$

*Input data items are the logarithm of y ($\ln y$), and x which is the same as in linear regression.
*Operation for correction is basically the same as in linear regression. Operate SHIFT A SHIFT e^x to obtain coefficient A, x $\hat{y}$ SHIFT e^x for estimator $\hat{y}$, and y ln SHIFT $\hat{y}$ for estimator $\hat{x}$. Note that $\Sigma \ln y$, $\Sigma(\ln y)^2$, and $\Sigma x \cdot \ln y$ are obtained instead of Σy, Σy^2, and Σxy.

Ex.)

xi	6.9	12.9	19.8	26.7	35.1
yi	21.4	15.7	12.1	8.5	5.2

Find A, B, r, $\hat{x}$ and $\hat{y}$ using the above figures as a basis.

"LR"

SHIFT KAC 6 • 9 $x_{\bar{n}}y_n$	6.9
21 • 4 ln DATA	3.063390922
12 • 9 $x_{\bar{n}}y_n$ 15 • 7 ln DATA	2.753660712
19 • 8 $x_{\bar{n}}y_n$ 12 • 1 ln DATA	2.493205453
26 • 7 $x_{\bar{n}}y_n$ 8 • 5 ln DATA	2.140066164
35 • 1 $x_{\bar{n}}y_n$ 5 • 2 ln DATA	1.648658626
SHIFT A SHIFT e^x	30.49758743

(A)

SHIFT B	−0.049203708

(B)

SHIFT r	−0.997247351

(r)

(When xi is 16) 16 $\hat{y}$ SHIFT e^x → 13.87915739 ($\hat{y}$)

(When yi is 20) 20 ln SHIFT $\hat{y}$ → 8.574868054 ($\hat{x}$)

■ Power regression

Formula: $y = A \cdot x^B$

*Input data items are $\ln x$ and $\ln y$.
*Operation for correction is basically the same as in linear regression. Operate [SHIFT] [A] [SHIFT] [e^x] to obtain coefficient A, x [ln] [$\hat{y}$] [SHIFT] [e^x] for estimator $\hat{y}$, and y [ln] [SHIFT] [$\hat{x}$] [SHIFT] [e^x] for estimator $\hat{x}$. Note that $\Sigma \ln x$, $\Sigma(\ln x)^2$, $\Sigma \ln y$, $\Sigma(\ln y)^2$, and $\Sigma \ln x \cdot \ln y$ are obtained instead of Σx, Σx^2, Σy, Σy^2 and Σxy respectively.

Ex.)

xi	28	30	33	35	38
yi	2410	3033	3895	4491	5717

Find A, B, r, $\hat{x}$ and $\hat{y}$ using the above figures as a basis.

"LR"

[SHIFT] [KAC] 28 [ln] [x_{n-1}]	3.33220451
2410 [ln] [DATA]	7.787382026
30 [ln] [x_{n-1}] 3033 [ln] [DATA]	8.017307508
33 [ln] [x_{n-1}] 3895 [ln] [DATA]	8.267448958
35 [ln] [x_{n-1}] 4491 [ln] [DATA]	8.409830673
38 [ln] [x_{n-1}] 5717 [ln] [DATA]	8.651199471
[SHIFT] [A] [SHIFT] [e^x]	0.238801299

(A)

[SHIFT] [B] 2.771865947

(B)

[SHIFT] [r] 0.998906243

(r)

(When xi is 40) 40 [ln] [$\hat{y}$] [SHIFT] [e^x] 6587.67572

($\hat{y}$)

(When yi is 1000) 1000 [ln] [SHIFT] [$\hat{x}$] [SHIFT] [e^x] 20.2622555

($\hat{x}$)

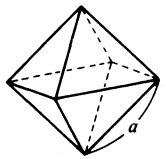
11/PROGRAMMED CALCULATIONS

*This calculator has a program memory of 38 steps. Up to two programmed procedures of calculation may be stored in the memory.
*To store a program (mathematical procedure) in the calculator, execute ordinary (i.e. manual) calculation in the LRN mode (press [MODE] [EXP]) only once.
*Now the calculator has memorized the program. Input data and press the [RUN] key, and the calculator executes the program with the data. This is very convenient for repeating calculations with varying sets of data.

■ How to store and execute programs

Ex. 1) Calculate the surface areas (S) of regular octahedrons whose ridges are respectively 10, 7 and 15 cm long.

Formula: $S = 2\sqrt{3}\, a^2$



Ridge length (a)	Surface area
10 cm	(346.41) cm^2
7	(169.74)
15	(779.42)

*Values enclosed with parentheses are to be obtained.

•The following sequence of key operations realizes a mathematical procedure of the above formula.

2 [×] 3 [√] [×] 10 [SHIFT] [x^3] [=] → S

↑

Value of a (data)

•Operate the above sequence in the LRN mode ([MODE] [EXP]). Note that [ENT] must be pressed prior to data entry (the value of a in this case).

(Select LRN mode) [MODE] [EXP] LRN P1 P2 0.

LRN and P1, P2 lit.

(Designate program No.) [P1] LRN P1 0.

Select a program area P1 or P2.

2	LRN P1 2.
[×]	LRN P1 2.
3	LRN P1 3.
[√]	LRN P1 1.732050808
[×]	LRN P1 3.464101615
(Input data) [ENT] 10	LRN P1 10.
[SHIFT] [x^3]	LRN P1 100.
[=]	LRN P1 346.4101615

S for $a = 10$

*The mathematical procedure is stored in P1.

Execution of the program stored

(Select RUN mode) [MODE] [·] → 346.4101615 (LRN disappears)

(Designate program No.) [P1] → P1 3.464101615

7 [RUN] → 169.7409791

S for $a = 7$

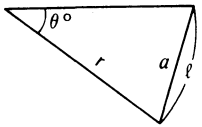
[P1] 15 [RUN] → 779.4228634

S for $a = 15$

Ex. 2) Calculate the length, ℓ of the arc and the length, a of the chord of a sector with radius and radii making an angle of $\theta°$.

$$\ell = \frac{\pi r \theta}{180}$$

$$a = 2r \sin \frac{\theta}{2}$$



Radius (r)	Angle of radii (θ)	Arc length (ℓ)	Chord length (a)
10 cm	60°	(10.47) cm	(10) cm
12	42°34'	(8.91)	(8.71)
15	36°	(9.42)	(9.27)

*The values enclosed with parentheses are to be obtained.

(Select LRN mode) [MODE] [EXP] → LRN P1 P2 0.

(Designate program No.) [P2] → LRN P2 0.

[MODE] [4] [ENT] 10 → LRN P2 10.

r → To K1 register

[Kin] [1] [×] [ENT] 60 → LRN P2 60.

θ → To K2 register

[Kin] [2] [×] [π] [÷] 180 [=] [SHIFT] [HLT] → LRN P2 10.47197551

HLT for displaying result (ℓ)

2 [Kin] [×] [1] [Kin] [÷] [2] K1 × 2, K2 ÷ 2

[Kout] [2] [sin] [Kin] [×] [1] $\sin \frac{\theta}{2} \times K1$

[Kout] [1] → LRN P2 10.

Result (a)

Execution of the program stored.

(Select RUN mode) [MODE] [·] → 10. (LRN disappears)

(Designate program No.) [P2] → P2 10.

(Input r) 12 [RUN] → P2 12.

(Input θ) 42 [,,,] 34 [°,,,] [RUN] → P2 8.915141819

Result (ℓ)

(Subsequently) [RUN] → 8.71152473

Result (a)

[P2] 15 [RUN] 36 [RUN] → P2 9.424777961

Result (ℓ)

(Subsequently) [RUN] → 9.270509831

Result (a)

■ Program step

•The program is stored (written) in the calculator as shown below.

No. of steps	Program	No. of steps	Program
1	P1 2	15	×
2	×	16	π
3	3	17	÷
4	√	18	1
5	×	19	8
6	ENT	20	0
7	SHIFT x^2	21	=
8	=	22	SHIFT HLT
9	P2 MODE 4	23	2
10	ENT	24	Kin × 1
11	Kin 1	25	Kin ÷ 2
12	×	26	Kout 2
13	ENT	27	sin
14	Kin 2	28	Kin × 1
		29	Kout 1

•The program capacity is 38 steps. The program may be divided into two areas (P1 and P2) and each can be used independently of the other.

•An error results ("-E-" displayed) when there is an attempt to write the 39th step. No subsequent steps can be written. In this case, press [AC] to release the error check.

•After the program is started, instruction steps are executed one after another and execution does not stop. But it is needed to halt execution for inputting a data or reading a result. This is accomplished by [ENT] and [SHIFT] [HLT].
When the end of a program is reached, execution stops automatically and the state is displayed. So, HLT may be absent.

•Each function comprises a step of program. The depression of keys in a certain sequence produces a single program step if it generates a single function.

1) Functions generated by the depression of a single key
Ex.) Numeral value, +/−, +, −, ×, ÷, =, [(,)], sin, log, ENT, ...
2) Functions generated by the depression of a two-key sequence
Ex.) SHIFT $\sin^{-1}$, SHIFT X↔Y, SHIFT $x^{1/y}$, SHIFT R→P, Kout 2, Kin 3, SHIFT RAN#, ...
3) Functions generated by the depression of a three-key sequence
Ex.) SHIFT X↔K 5, MODE 8 3 (Assignment for the number of significant digits), ...

*If you have misoperated when writing a program (i.e. in the LRN mode), press the sequence of [SHIFT] [PCL] and perform the correct operation.

*The depression of a data entry key ([•], [0] — [9]) followed by [EXP], [+/−], [→] or [C] will not be written in if such a sequence immediately follows the depression of [ENT]. Note that one of the functions which does not follow a numeric data will be written in as a step.

Ex.) [ENT] 6 [→] 6 [→] 6 [→]

Not written in

[ENT] 6 [→] [→] [→]

Not written in Written (2 steps)

■ How to erase a program

An old program will be automatically overwritten by a new program if the same program number is assigned to them.
To erase a program for making corrections or erase all 38 steps, operate the following sequence.

•To erase a single program (P1 or P2).

[MODE] [EXP] [P1] (or [P2]) [SHIFT] [PCL]

↑
Selects the LRN mode.

•To erase both P1 and P2.

[MODE] [EXP] [SHIFT] [PCL]

■ Jump instructions

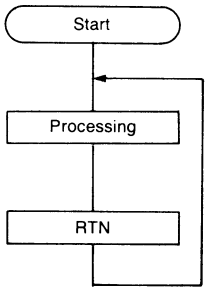
There are two types of jump instructions as follows.

1. **Unconditional return to the first step of program: RTN**
Write the sequence of [SHIFT] [RTN] at the end of a program to execute it repeatedly.
Ex.) Let us use the unconditional return instruction in the regular octahedron program explained on page 30. (In this case, the formula must be modified to $S = a^2 \times 2\sqrt{3}$.)

Operation: [MODE] [EXP] [P1]
[ENT] 10 [SHIFT] [x^2] [×] 2 [×] 3 [√] [=] [SHIFT] [RTN]
↑ Value of a ↑ Return instruction

Step No.	Instruction step
1	ENT
2	SHIFT x^2
3	×
4	2
5	×
6	3
7	√
8	=
9	SHIFT RTN

Flowchart



(Select RUN mode)	MODE •	0.
(Designate program No.)	P1	P1 0. ENT
(For $a = 7$)	7 RUN	P1 169.7409791 ENT
		Result S for $a = 7$
(For $a = 15$)	15 RUN	P1 779.4228634 ENT
		Result S for $a = 15$

*If a program includes an RTN instruction but neither ENT nor HLT, the program will, once started, not stop in an endless loop. To stop the program in such a case, press AC.

2. Return to the first step of program depending on the condition of the contents of the X-register (display): $x > 0$, $x \leqq M$

$x > 0$: Return to the first step of program if the contents of the X-register is greater than zero and go to the next step otherwise.

$x \leqq M$: Return to the first step of program if the contents of the X-register is equal to or smaller than the contents of the M-register and otherwise go to the next step.

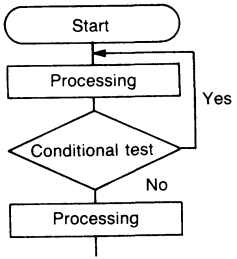
Ex.) Find the maximum of 456, 852, 321, 753, 369, 741, 684 and 643.

Operation: MODE EXP P1
ENT SHIFT $x \leqq M$ SHIFT Min

Step No.	Instruction step
1	ENT
2	SHIFT $x \leqq M$
3	SHIFT Min

Yes
No

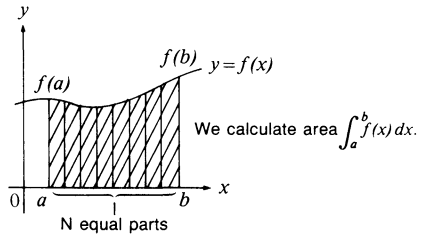
Flowchart



	MODE • AC SHIFT Min	0.
		Memory cleared
(Designate P1)	P1	P1 0. ENT
(Input data)	456 RUN	456.
	P1 852 RUN	852.
	P1 321 RUN	P1 321. ENT
	753 RUN	P1 753. ENT
	369 RUN	P1 369. ENT
	741 RUN	P1 741. ENT
	684 RUN	P1 684. ENT
	643 RUN	P1 643. ENT
	MR	P1 852. ENT
		Maximum displayed

12/INTEGRALS

*To carry out integrals, ① define (write) function $f(x)$ during the LRN mode, then ② designate the interval of integral during the $\int dx$ mode.



*The approximation method used for integrating the function written in P1 or P2 is the Simpson's rule. This method requires to divide the interval of integral into equal parts. If the number of divisions is not specified, the calculator determines it by itself according to the form of the function. To specify it, designate n (an integer of 1 to 9) which meets $N = 2^n$ where N is the number of divisions.

■ Defining funciton $f(x)$

1) Select the LRN mode (press MODE 0).
2) Designate a program number (press P1 or P2).
3) Press SHIFT Min.
   *This is needed, as the first program step, to assign variable x of the function $f(x)$ to the M-register.
4) Write the expression of function $f(x)$ by true algebraic logic. Use MR to represent variable x. Write = at the end.

Ex.) For $f(x)=\dfrac{1}{x^2+1}$, write the sequence of 1, ÷, [(, MR, SHIFT x^2, +, 1,)], =.

5) Press MODE 1 to select the $\int dx$ mode.

Note: For a function $f(x)$ whose variable x cannot take the zero value, input an appropriate number in between steps 1) and 2) above.
Do not use constant registers, KAC, ENT and HLT during expressing a function (step 4).

■ Execution of integral

1) Select the $\int dx$ mode (press MODE 1).
2) Designate the program number assigned to the function, $f(x)$, (Press P1 or P2.)
3) Press a sequence of n SHIFT RUN to specify division number N (this will be displayed). This step may be skipped.
4) Designate the interval of integral, $[a, b]$. (Press a RUN b RUN.)
   *In seconds or minutes the result will be displayed in a floating point representation.

At this time the memory registers contain the following data.

K1-register	(Press Kout 1)	..... a
K2-register	(Press Kout 2)	..... b
K3-register	(Press Kout 3)	..... N $(=2^n)$
K4-register	(Press Kout 4)	..... $f(a)$
K5-register	(Press Kout 5)	..... $f(b)$
K6-register	(Press Kout 6)	..... $\int_a^b f(x)\,dx$
M-register	(Press MR)	..... a

Ex.) For $f(x)=2x^2+3x+4$, calculate $\int_2^5 f(x)\,dx$ and $\int_2^8 f(x)\,dx$.

(Select LRN mode) MODE EXP

(Designate program No.) P1

SHIFT Min

Writing $f(x)$

LRN	P1 P2
0.	
LRN	P1
0.	
LRN	P1
0.	

(Write $f(x)$) 2 × MR SHIFT x^2 + 3 × MR + 4 =

(Select $\int dx$ mode) MODE 1

(Designate program No.) P1

(Input n) 2 SHIFT RUN

N displayed

$\int_2^5 f(x)\,dx$

$\int dx$	P1
4.	
$\int dx$	P1
0.	
$\int dx$	P1
4.	

(Input a and b) 2 RUN 5 RUN

Result displayed in about 4 seconds

$\int dx$	
1.215000000	0 2

(Designate program No.) P1

(Input a and b) 2 RUN 8 RUN

$\int_2^8 f(x)\,dx$

$\int dx$	P1
0.	
$\int dx$	
4.500000000	0 2

Result displayed in about 6 seconds

Kout 1	$\int dx$ 2.	a
Kout 2	$\int dx$ 8.	b
Kout 3	$\int dx$ 8.	N
Kout 4	$\int dx$ 18.	$f(a)$
Kout 5	$\int dx$ 156.	$f(b)$
Kout 6	$\int dx$ 450.	$\int_a^b f(x)\,dx$

■ Remarks for execution of integrals

*If you press AC during execution of integral (nothing is displayed), the execution will be aborted and the state selected by the depression of MODE 1 entered.
*If no function $f(x)$ is defined (written in), the calculator will carry out integral for $f(x)=x$.
*It is normal to set the angular mode to "R" when executing integral of trigonometrics.
*Integral approximated by the Simpson's rule may take much execution time to raise the accuracy of result. Error may be large even when much execusion time has been consumed. If the number of significant digits of result is smaller than one, error termination occurs ("-E-" displayed).
In such cases, dividing the integral interval will reduce execution time and raise accuracy:

1. If the result varies greatly when the integral interval is moved slightly:
   Divide the interval into sections and sum up the results obtained in the sections.
2. For a periodic function or if the value of integral becomes positive or negative depending on the interval:
   Calculate for each period or separately for the sections where the result of integral is positive from where the result is negative, and sum up the results obtained.
3. If long execution time is due to the form of the function defined:
   Divide the function, if possible, into terms, execute integral for each term separately, and sum up the results.

13/SPECIFICATIONS

BASIC OPERATIONS
4 basic calculations, constants for +/−/×/÷/x^y/$x^{1/y}$/AND/OR/XOR/XNOR, parenthesis calculations and memory calculations.

BUILT-IN FUNCTIONS
Trigonometric/inverse trigonometric functions (with angle in degrees, radians or grads), common/natural logarithms, exponential functions (common antilogarithms, natural antilogarithms), powers, roots, square roots, cube roots, squares, reciprocals, factorials, conversion of coordinate system (R→P, P→R), permutations, combinations, random number, π, fractions, percentages, binary, octal, decimal and hexadecimal calculations and logical operations.

STATISTICAL FUNCTIONS
Standard deviation, linear regression, logarithmic regression, exponential regression, and power regression.

INTEGRALS
Simpson's rule.

MEMORY
1 independent memory and 6 constant memories.

CAPACITY
Entry/basic calculations
10-digit mantissa, or 10-digit mantissa plus 2-digit exponent up to $10^{\pm 99}$.

Fraction calculations
Total of integer, numerator and denominator must be within 10 digits (includes division marks).

Scientific functions	Input range
sin$x$/cos$x$/tan$x$	$\|x\| < 9\times10^9$ degrees ($<5\times10^7\pi$ rad, $<10^{10}$ gra)
$\sin^{-1}x$/$\cos^{-1}x$	$\|x\| \leqq 1$
$\tan^{-1}x$	$\|x\| < 10^{100}$
log$x$/ln$x$	$10^{-99} \leqq x < 10^{100}$
e^x	$-10^{100} < x \leqq 230.2585092$
10^x	$-10^{100} < x < 100$
x^y	$x>0 \rightarrow -10^{100} < y\cdot\log x < 100$ $x=0 \rightarrow y>0$ $x<0 \rightarrow y$: integer or $1/2n+1$ (n: integer)
$x^{1/y}$	$x>0 \rightarrow y\neq 0\ -10^{100} < 1/y\cdot\log x < 100$ $x=0 \rightarrow y>0$ $x<0 \rightarrow y$: odd number or $1/n$ (n: integer)
$\sqrt{x}$	$0 \leqq x < 10^{100}$
x^2	$\|x\| < 10^{50}$
$\sqrt[3]{x}$	$\|x\| < 10^{100}$
$1/x$	$\|x\| < 10^{100}$ ($x\neq 0$)
$x!$	$0 \leqq x \leqq 69$ (x : integer)
nPr/nCr	$0 \leqq r \leqq n$, $n < 10^{10}$ (n, r : positive integer)

*Certain combinations or permutations may cause errors due to overflow during internal calculations.

REC→POL	$\sqrt{x^2+y^2} < 10^{100}$
POL→REC	$\|\theta\| < 9\times10^9$ degrees ($<5\times10^7\pi$ rad, $<10^{10}$ gra), $0 \leqq r < 10^{100}$
°′″	up to second
π	10 digits

***Output accuracy**
±1 in the 10th digit.

Binary	Positive :	$0 \leqq x \leqq 111111111$
	Negative:	$1000000000 \leqq x \leqq 1111111111$
Octal	Positive :	$0 \leqq x \leqq 3777777777$
	Negative:	$4000000000 \leqq x \leqq 7777777777$
Decimale	Positive :	$0 \leqq x \leqq 2147483647$
	Negative:	$-2147483648 \leqq x < 0$
Hexadecimal	Positive :	$0 \leqq x \leqq 7FFFFFFF$
	Negative:	$80000000 \leqq x \leqq FFFFFFFF$

*Errors are cumulative with such internal continuous calculations as x^y, $x^{1/y}$, $x!$, $\sqrt[3]{}$, nPr, nCr so accuracy may be adversely affected.
*In tan$x$, $|x| \neq 90° \times (2n+1)$, $|x| \neq \pi/2\text{rad} \times (2n+1)$, $|x| \neq 100\text{gra} \times (2n+1)$ (n is an integer.)

PROGRAMMABLE FEATURES
Total number of steps: up to 38 (1 step performs a function).
Jump: Unconditional jump (RTN), Conditional jump ($x>0$, $x \leqq M$).
Number of programs storable: up to 2 (P1 and P2).

DECIMAL POINT
Full floating with underflow.

EXPONENTIAL DISPLAY
Norm 1 — $10^{-2} > |x|$, $|x| \geqq 10^{10}$
Norm 2 — $10^{-9} > |x|$, $|x| \geqq 10^{10}$

READ-OUT
Liquid crystal display, suppressing unnecessary 0's (zeros).

POWER SOURCE
Power source: One AA size manganese dry battery (UM-3 or R6P (SUM-3))
Battery life: The unit gives approximately 17,500 hours continuous operation on type UM-3 or type R6P (SUM-3).
Power consumption: 0.0001 W

AMBIENT TEMPERATURE RANGE
0°C - 40°C (32°F - 104°F)

DIMENSIONS
22.5mmH×76mmW×153mmD ($^7/_8$"H×3"W×6"D)

WEIGHT
92 g (3.2 oz)